## How to calculate Sample Variance ( $\mathbf{S}^{\mathbf{2}}$ ) and Standard Deviation (S) using Excel

$$
\begin{array}{|l|l}
\hline \text { Variance }\left(S^{2}\right)=\frac{\sum\left(x_{i}-\bar{x}\right)^{2}}{\mathbf{n}-1} & \mathrm{~S}=\sqrt{S^{2}}=\sqrt{\frac{\sum\left(x_{i}-\bar{x}\right)^{2}}{n-1}} \\
\hline
\end{array}
$$

Question: The following data represent the total fat for burgers items from a sample of fast-food chains. Find the variance, and standard deviation.

$$
7, \quad 9, \quad 16, \quad 18, \quad 15, \quad 16, \quad 22, \quad 25 \quad 27, \quad 33, \quad 39
$$

## Sample Variance ( $\mathrm{S}^{2}$ ) Method 1:

Step 1 Enter all data in Excel software program
Step 2: Find the mean by using the AVERAGE function: =AVERAGE(B2:B12)


The average (mean) goes to any empty cell, say B13.

## Step 3: Subtract the mean (average) from each number in the sample:

- move cursor to column C2
- Type: =B2-\$B\$13 (mean value is in col B13, we will lock as a constant value)
- Click Enter. (You shall see the value of $x$-mean $=-13.64$ in column C2)
- move cursor to the corner of column C2 and drag until col C12

| Clipboard |  | 『 |  | Fon |  | 『 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| SUM |  | - | $\vdots$ | $\times \checkmark$ | $f_{x}$ | $=\mathrm{B} 2-\$ \mathrm{~B}$ \$13 |
| - | A |  |  | B | C | D |
| 1 | Burgers |  |  | Fat | x -mean |  |
| 2 | A |  |  |  | =B2-\$B\$13 |  |
| 3 | B |  |  | 9 |  |  |
| 4 | C |  |  | 16 |  |  |
| 5 | D |  |  | 18 |  |  |
| 6 | E |  |  | 15 |  |  |
| 7 | F |  |  | 16 |  |  |
| 8 | G |  |  | 22 |  |  |
| 9 | H |  |  | 25 |  |  |
| 10 | 1 |  |  | 27 |  |  |
| 11 | J |  |  | 33 |  |  |
| 12 | F |  |  | 39 |  |  |
| 13 | mean |  |  | 20.64 |  |  |
| 14 |  |  |  |  |  |  |



The differences go to column C, beginning in C2.

Step 4: Square each difference and put the results to column $\mathbf{D}$, beginning in $\mathbf{D} 2$ :

- Move cursor to column D2
- Type: $=\mathbf{C 2} \mathbf{2}^{\wedge}$
- Click Enter. (You shall see the value of $(x \text {-mean })^{2}=185.9504$ in column D2)
- move cursor to the corner of column D2 and drag until col D12

| D2 |  | $\times \checkmark$ | $f_{x}=\mathrm{C} 2$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 4 | A | B | $c$ | D | E |
| 1 | Burgers | Fat | $x$-mean | $(\mathrm{x}$-mean)^2 |  |
| 2 | A | 7 | -13.64 | 185.9504 |  |
| 3 | B | 9 | -11.64 |  |  |
| 4 | C | 16 | -4.64 |  |  |
| 5 | D | 18 | -2.64 |  |  |
| 6 | E | 15 | -5.64 |  |  |
| 7 | F | 16 | -4.64 |  |  |
| 8 | G | 22 | 1.36 |  |  |
| 9 | H | 25 | 4.36 |  |  |
| 10 | 1 | 27 | 6.36 |  |  |
| 11 | J | 33 | 12.36 |  |  |
| 12 | F | 39 | 18.36 |  |  |
| 13 | mean | 20.64 |  |  |  |
| 14 |  |  |  |  |  |



Step 5: Add up the squared differences and divide the result by $(\mathrm{n}-1)$ or the number of items in the sample minus 1:

- Move cursor to column D15
- Type: =SUM(D2:D12)/(COUNT(B2:B12) - 1)
- or =SUM(D2:D12)/(11-1)
- Click Enter. (You shall see the value of variance 95.5455 in column D15)



Method 2：Move cursor to D17 or any empty space and Type：＝VAR．S（B2：B12）


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| :---: | :---: | :---: | :---: | :---: | :---: |
| B17 |  | ：$\times$ | $\checkmark f_{x}$ Me | Method 2 |  |
| 4 | A | B | $c$ | D |  |
| 1 | Burgers | Fat x －mean |  | （x－mean）＾2 |  |
| 2 | A |  | －13．64 | 4.6185 .95 |  |
| 3 | B | －11．64 |  | 4 135.40 |  |
| 4 | C | 16 －4．64 |  | － 21.50 |  |
| 5 | D | 18 | －2．64 | （ 6.95 |  |
| 6 | E | 15 | －5．64 | 俍 31.77 |  |
| 7 | F | 16 | －4．64 | 4 21.50 |  |
| 8 | G | 22 | 1.36 |  |  |
| 9 | H | 25 | 4.36 | （19．04 |  |
| 10 | 1 | 27 | 6.36 | 年 40.50 |  |
| 11 | J | 33 | 12.36 | （ 152.86 |  |
| 12 | F | 39 | 18.36 | 337.22 |  |
| 13 | mean | 20.64 |  |  |  |
| 14 |  |  | SUM | 954.55 |  |
| 15 |  |  | Sample Var | 95.45454545 |  |
| 16 |  | Method 2 S |  |  |  |
| $17 \mid$ |  |  | Sample Var | 95.45454545 |  |
| 18 |  |  |  |  |  |
| 19 |  |  |  |  |  |

b）Find the value of sample standard deviation：

Find the value of sample standard deviation：
－Move cursor to column D18
－Type：＝SQRT（D17）
－Click Enter．
You shall see the value of sample standard deviation 9.770084209 in column D18

| Clipboard |  |  | Font | 『 | Alignment |
| :---: | :---: | :---: | :---: | :---: | :---: |
| D18 |  | ：$\times$ | $\checkmark f_{x}=$ S | SQRT（D17） |  |
| 4 | A | B | C | D | E |
| 1 | Burgers |  | x－mean | $\left(\mathrm{x}\right.$－mean）${ }^{\wedge} 2$ |  |
| 2 | A | 7 | －13．64 | 4 185．95 |  |
| 3 | B | 9 | －11．64 | （135．40 |  |
| 4 | C | 16 | －4．64 | 4 21．50 |  |
| 5 | D | 18 | －2．64 | 4 6．95 |  |
| 6 | E | 15 | －5．64 | 4 31．77 |  |
| 7 | F | 16 | －4．64 | 4 21．50 |  |
| 8 | G | 22 | 1.36 | － 1.86 |  |
| 9 | H | 25 | 4.36 | （ 19.04 |  |
| 10 | 1 | 27 | 6.36 | 6 40．50 |  |
| 11 | J | 33 | 12.36 | （ 152.86 |  |
| 12 | F | 39 | 18.36 | 6337.22 |  |
| 13 | mean | 20.64 |  |  |  |
| 14 |  |  | SUM | 954.55 |  |
| 15 |  |  | Sample Var | 95.45454545 |  |
| 16 |  |  |  |  |  |
| 17 |  | Method 2 | Sample Var | 95.45454545 |  |
| 18 |  |  | Standard Dev | 9.770084209 ． |  |
| 19 |  |  |  |  |  |
| 20 |  |  |  |  |  |

Sample Variance of fast－food chains $=95.4545$
Sample standard deviation $=9.77$

